R. V. COLLEGE OF ENGINEERING

Autonomous Institution affiliated to VTU I Semester B. E. Examinations Nov/Dec-18

Common to All Branches ENGINEERING PHYSICS

Time: 03 Hours Instructions to candidates:

Maximum Marks: 100

1. Answer all questions from Part A. Part A questions should be answered in first three pages of the answer book only.

2. Answer FIVE full questions from Part B. In Part B question number 2, 7 and 8 are compulsory. Answer any one full question from 3 and 4 &one full question from 5 and 6.

Physical constants: $Planck's\ constant = 6.625 \times 10^{-34} Js$ $Boltzmanns\ constant = 1.380662 \times 10^{-23} Jk^{-1}$ $Velocity\ of\ light = 3 \times 10^8 ms^{-1}$ $Mass\ of\ electron = 9.11 \times 10^{-31} Kg$ $Charge\ of\ electron = 1.6 \times 10^{-19} C$ $Mass\ of\ proton/neutron = 1.67 \times 10^{-27} Kg$ $Avogadro\ number = 6.022 \times 10^{26}\ atoms\ (kmol)^{-1}$ $Permittivity\ of\ free\ space = 8.854 \times 10^{-12} Fm^{-1}$

PART-A

	1	1.1	Name the active center which helps the lasing action in He Ne laser.	01
		1.2	What is refractive index profile (RI profile) of an optical fibre?	01
		1.3	Find the de Broglie wavelength associated with an electron	
	-		accelerated form rest with a potential of 1200V.	01
		1.4	Calculate the energy of the lowest energy state in a one dimensional	
			infinite potential well of length 'a'.	01
		1.5	Sketch the position of Fermi level of a p-type semiconductor at zero	
			kelvin.	01
		1.6	Write the classical expression for the electrical conductivity of a metal	
			in terms of mean collision time.	01
		1.7	What is tensile strength of an elastic material?	01
		1.8	Write an expression for Rigidity modulus in terms of Young's modulus	
			and Poisson ratio.	01
		1.9	What type of oscillation is exhibited by dead beat galvanometer?	01
		1.10	What is the condition for an electrical resonance of a series LCR	
			circuit?	01
		1.11	Fractional index change and refractive index of core of an optical fibre	01
			are 0.0043 and 1.55 respectively. Find the refractive index of cladding.	02
		1.12	Matter waves are not electromagnetic waves. Justify the statement.	02
		1.13	Find the polarization produced in a crystal by an electric field of	
			strength 600 V/mm if it has a dielectric constant of 8?	02
		1.14	Find the bulk modulus of the material, if the material has Young's	
200 Care Co.			modulus $6.62 \times 10^{10} Nm^{-2}$ and Poisson ratio of 0.4.	02
		1.15	Find the maximum velocity of a particle executing simple harmonic	
			motion with a period 10s and amplitude of 1.5 meter	02

PART-B

2	а	Explain the construction and working of He-Ne laser with neat	+
	b	diagrams. With a neat block diagram, explain point to point communication of an optical fibre and explain the second communication of the second communication communication of the second communication communicat	-
		all optical libit ally explain the role of optical reporter : " "	
		communication. Give any two advantages of point to	
	С	osimilatication over wiled comminication	
		Find the v-number and number of modes for a fibre of core diameter 60 µm with refractive indices of 1.50 and 1.45 respectively for core and cladding when a wavelength of the	
		cladding, when a wavelength of the propagating wave is 632.8 nm.	- 550 - 5
3			03
3	a	What are matter waves? Arrive at an expression for de-Broglie	
	b	wavelength of electron accelerating from rest under a potential V . Setup one dimension time independent Schrodinger's wave equation.	05
	С	and a 1500 pase hall are travelling of a value it - case	07
		Find the uncertainty in mariti	
		of each.	04
		OR	
4	a	What are Eigen function and Eigen values? A quantum particle	
		offinited to offic uniteristicated how of which a ice its	
		what is the probability of finding the narticle over an internal of	
	b	marked symmetrically at the center of the box? State Heisenberg's uncertainty principle. Applying Heisenberg's uncertainty principle.	06
		principle, explain the proadening of anostrol 1:	00
	С	atom makes a transition from second excited	06
		of children a prototti ili all'inite notential well of width or	
		the wavelength of the photon emitted.	04
5	а	Derive an expression for electron concentration in a metal at zero	
	b	-2017111.	04
	D	What is Hall effect? Arrive at an expression for Hall voltage and Hall	01
	С	coefficient for a <i>p</i> -type semiconductor. Sketch the variation of Fermi level with temperature for a <i>n</i> -type semiconductor.	06
		semiconductor.	00
	d	What is dielectric polarizability? An elemental solid dielectric material	02
		The polarizability / X IV " Fm" Assuming the internal C1 1	
		Lorentz field, find the dielectric constant for the material if the material has 3×10^{28} atom/ m^3 .	
		m = 1000 m	04
		OR OR	
	a	Arrive at an expression for electron consents:	
		Arrive at an expression for electron concentration in conduction band of an intrinsic semiconductor.	0-
	b	What is polarization of dielectric? Explain electronic and orientation	06
		Polarization inclianisms with diagrams	07
		Find the probability of an electron occupying an energy level 0.02eV above the Fermi level and 0.02eV bleow the Fermi level at 200K.	
		above the refill level and 0.02eV bleow the Fermi level at 200V	03

What is bending moment? Arrive at an expression for bending moment of a rectangular beam of uniform area of cross section. What is Young's modulus and bulk modulus of a material? Derive the relation between Bulk modulus and Young's modulus in terms of Poisson ratio. C Find the angular twist of a wire of length 0.3m and radius 0.2mm when a torque of 5 × 10 ⁻⁴ Nm is applied. (Given: Rigidity modulus of the material 8 × 10 ¹⁰ Nm ⁻²). What is damped oscillation? Set up the differential equation for a damped harmonic oscillator and obtain an expression for displacement. Discuss the case of under damping. Arrive at an expression for time period of a body when it executes angular simple harmonic motion. C A vibrating system of natural frequency 500 cycles/s is forced to vibrate with a periodic force/unit mass of amplitude 100 × 10 ⁻⁵ N/kg in the presence of a damping unit mass of 0.01 × 10 ⁻³ rad/s. Calculate the maximum amplitude of vibration of the system.				
What is Young's modulus and bulk modulus of a material? Derive the relation between Bulk modulus and Young's modulus in terms of Poisson ratio. C Find the angular twist of a wire of length 0.3m and radius 0.2mm when a torque of 5 × 10 ⁻⁴ Nm is applied. (Given: Rigidity modulus of the material 8 × 10 ¹⁰ Nm ⁻²). What is damped oscillation? Set up the differential equation for a damped harmonic oscillator and obtain an expression for displacement. Discuss the case of under damping. Arrive at an expression for time period of a body when it executes angular simple harmonic motion. C A vibrating system of natural frequency 500 cycles/s is forced to vibrate with a periodic force/unit mass of amplitude 100 × 10 ⁻⁵ N/kg in the presence of a damping unit mass of 0.01 × 10 ⁻³ rad/s. Calculate the maximum amplitude of vibration of vibration of vibration of vibration of vibration of vibration of vibr	7	а	What is bending moment? Arrive at an expression for bending moment of a rectangular beam of uniform area of survey.	
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8 a What is damped oscillation? Set up the differential equation for a damped harmonic oscillator and obtain an expression for displacement. Discuss the case of under damping. b Arrive at an expression for time period of a body when it executes angular simple harmonic motion. c A vibrating system of natural frequency 500 cycles/s is forced to vibrate with a periodic force/unit mass of amplitude 100 × 10 ⁻⁵ N/kg in the presence of a damping unit mass of 0.01 × 10 ⁻³ rad/s. Calculate the maximum amplitude of vibration of the system.		С	Find the angular twist of a wire of length 0.3m and radius 0.2mm and	07
What is damped oscillation? Set up the differential equation for a damped harmonic oscillator and obtain an expression for displacement. Discuss the case of under damping. Arrive at an expression for time period of a body when it executes angular simple harmonic motion. A vibrating system of natural frequency 500 cycles/s is forced to vibrate with a periodic force/unit mass of amplitude 100 × 10 ⁻⁵ N/kg in the presence of a damping unit mass of 0.01 × 10 ⁻³ rad/s. Calculate the maximum amplitude of vibration of the curve.			a torque of 5 x 10 Nm is applied. (Given: Rigidity modulus of the	
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Arrive at an expression for time period of a body when it executes angular simple harmonic motion. A vibrating system of natural frequency 500 cycles/s is forced to vibrate with a periodic force/unit mass of amplitude 100 × 10 ⁻⁵ N/kg in the presence of a damping unit mass of 0.01 × 10 ⁻³ rad/s. Calculate the maximum amplitude of vibration of the system.	0	а	damped narmonic oscillator and obtain an expression for	
Arrive at an expression for time period of a body when it executes angular simple harmonic motion. A vibrating system of natural frequency 500 cycles/s is forced to vibrate with a periodic force/unit mass of amplitude 100 × 10 ⁻⁵ N/kg in the presence of a damping unit mass of 0.01 × 10 ⁻³ rad/s. Calculate the maximum amplitude of vibration of the system.			displacement. Discuss the case of under damning	00
A vibrating system of natural frequency 500 cycles/s is forced to vibrate with a periodic force/unit mass of amplitude $100 \times 10^{-5} N/kg$ in the presence of a damping unit mass of $0.01 \times 10^{-3} \ rad/s$. Calculate the maximum amplitude of vibration of the system.		b	Arrive at an expression for time period of a body when it executes	08
in the presence of a damping unit mass of $0.01 \times 10^{-3} N/kg$ the maximum amplitude of vibration of the system.		С	A vibrating system of natural f	05
the maximum amplitude of vibration of the system.			wibrate with a periodic for the vibrate with a periodic for th	
the maximum amplitude of vibration of the system.			violate with a periodic force/unit mass of amplitude $100 \times 10^{-5} N/kg$	
ule maximum amplitude of vibration of the great			In the presence of a damping unit mass of 0.01×10^{-3} rad/s. Calculate	
			the maximum amplitude of vibration of the system.	03

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R. V. COLLEGE OF ENGINEERING

Autonomous Institution affiliated to VTU I Semester B. E. Examinations Nov/Dec-19

Common to All Branches ENGINEERING PHYSICS

Time: 03 Hours

Maximum Marks: 100

Instructions to candidates:

1. Answer all questions from Part A. Part A questions should be answered in first three pages of the answer book only.

2. Answer FIVE full questions from Part B. In Part B question number 2, 7 and 8 are compulsory. Answer any one full question from 3 and 4 & one full question from 5 and 6.

Physical constants: $Planck's constant = 6.625 \times 10^{-34} Js$

Boltzmanns constant= $1.380662 \times 10^{-23} Jk^{-1}$

Velocity of light = $3 \times 10^8 ms^{-1}$ Mass of electron = $9.11 \times 10^{-31} Kg$ Charge of electron = $1.6 \times 10^{-19} C$

Mass of proton/neutron = $1.67 \times 10^{-27} Kg$

PART-A

	1 1.1	Define active medium in Lasers.	
	1.2		01
	1.2	Give the physical significance of numerical aperture in case of an optical	
		fiber.	01
	1.3	Calculate the de-Broglie wavelength corresponding to an electron in its	
		second excited state in one-dimensional infinite potential well of width	
		1Å.	01
	1.4	Write the equation for the lowest energy state in a one dimensional	01
		infinite potential well of width 'a'.	
	1.5	When articles is a state of width a.	01
		Why extrinsic semiconductors are electrically neutral?	01
	1.6	Define density of energy states in material.	01
	1.7	What is neutral axis in a beam?	01
	1.8	The period of a torsion pendulum is T . What is the period if the couple	2.0
	γ	per unit twist of the suspension wire is doubled?	01
1	1.9	What are forced oscillations?	01
	1.10	Define force constant of a spring.	
	1.11	Define angle of acceptance and Refractive index profile in an optical	01
		fiber.	
	1 10		02
	1.12	What is the physical significance of a wave function?	02
	1.13	Find the polarization produced in a crystal by an electric field of strength	
		500V/mm if it has a dielectric constant of 6?	02
	1.14	Calculate the torque required to twist a wire of length 1.5m, radius	
		$4.25 \times 10^{-4} m$ through an angle $\left(\frac{\pi}{45}\right)$ radian, if the value of rigidity	
		$\frac{1}{45}$ radially little value of rigidity	
		modulus of its material is $8.3 \times 10^{10} N/m^2$.	02
	1.15	An electric motor weighing 50kg is mounted on 4 parallel springs each of	
		which has a spring constant $2 \times 10^3 N/m$. The motor moves only in	
		vertical direction .Find the natural frequency of the system.	02
			02

PART-B

2 a	Explain the terms spontaneous emission and stimulated emission.	
	Derive a relation for energy density in terms of radiation on field in terms	
	of Einstein's coefficients.	06
b	With neat labeled diagram, explain the different types of optical fibers.	00
	Give the advantages of optical fiber communication.	08
		00

	С	Find the number of modes of the standing waves in a resonant cavity of length $1m$ of $He-Nelaper$ operating at wavelength $632.8nm$.	02
3	a b c	Apply the time independent schridinger's wave equation to find the solutions for one dimensional potential well of width 'a' and infinite depth. Hence obtain the normalized wave function. What are matter waves? Arrive at an expression for de-Broglie wavelength of electron accelerating from rest under a potential V. An electron is confined to a box of length 10 ⁻⁹ m. find the minimum uncertainty in its velocity.	08 05 03
4	a b c	State Heisenberg's uncertainty principle. Applying Heisenberg's uncertainty principle, explain the broadening of spectral lines. Set up one dimensional time independent schrodinger wave equation. A quantum particle confined to one dimensional box of width 'a' is in its first excited state. What is the probability of finding the particle over an	06 06
		interval of $\left(\frac{a}{2}\right)$ marked symmetrically at the center of the box.	04
		Fig. 1. Constitution of the second se	
5	a	Define Fermi factor. Discuss the Fermi factor $F(E)$ for cases $E < E_f$, $E > E_f$ at $E = E_f$	06
	b c	State and explain Hall effect in metals. Obtain an expression for carrier concentration in terms of Hall voltage for metals. What is dielectric constant? The dielectric constant of Sulphur is 3.4.	06
		Assuming a cubic lattice for its structure, calculate the electronic polarizability of monovalent Sulphur, if its density $=2.7 \times 10^3 kg/m^3$ and atomic weight=32.07.	04
		Programme And the Company of the Com	
6	a b c	Derive an expression for the electron concentration in the case of an intrinsic semiconductor. What is polarization of a dielectric? Explain electronic and ionic polarization mechanisms with diagrams. The Fermi level in silver is 5.5eV.What is the enrgy for which probability of occupancy is 0.91 at 300K.	07 06 03
7	a b	With a neat stress-strain diagram explain behavior of a elastic material under increasing load and define tensile strength of the material. Arrive at an expression for twisting couple for a cylinder of length 'l' and	06
	С	radius 'r'. Apply it to the case of a wire in torsional pendulum and obtain an expression for its rigidity modulus. The young's and rigidity modulus of steel are $18 \times 10^{10} \ N/m^2$ and	08
		$8 \times 10^{10} \ N/m^2$ respectively. Find the bulk modulus of the steel.	02
8	a	What is damped oscillation? Set up the differential equation for a damped harmonic oscillator and obtain an expression for displacement. Discuss the case of over damping.	07
	b	What is force constant? Derive an expression for an equivalent force constant for 2 springs in series. What is the expression for period of its oscillation?	06
	С	A sonometer wire under tension is plucked and left free for vibrations. Find its frequency of vibrations if the midpoint on the string attains a maximum velocity of $1.57m/s$ when its amplitude of oscillation is $5mm$. Treat the vibration as simple harmonic [Neglect the damping effect].	03

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RV COLLEGE OF ENGINEERING®

(An Autonomous Institution affiliated to VTU)
II Semester B. E. Examinations Apr/May-19

Common to All Branches ENGINEERING PHYSICS

Time: 03 Hours

Instructions to candidates:

Maximum Marks: 100

1. Answer all questions from Part A. Part A questions should be answered in first three pages of the answer book only.

2. Answer FIVE full questions from Part B. In Part B question number 2, 7 and 8 are compulsory. Answer any one full question from 3 and 4 &one full question from 5 and 6.

Physical constants: Planck's constant = 6.625×10^{-34} Js

Boltzmanns constant= $1.386 \times 10^{-23} Jk^{-1}$ Velocity of light = $3 \times 10^8 ms^{-1}$ Mass of electron = $9.11 \times 10^{-31} Kg$ Charge on electron = $1.6 \times 10^{-19} C$ Mass of proton/neutron = $1.67 \times 10^{-27} Kg$ Avogadro number = 6.022×10^{26} atoms $(kmol)^{-1}$ Permittivity of free space = $8.85 \times 10^{-12} Fm^{-1}$

PART-A

1 1.1	Name the active medium in He-Ne laser.	F
1.2	Mention one application of laser in industry.	01
1.3	Write one property of matter waves.	01
1.4	Mention the nature of free particle energy spectrum.	01
1.5	Name the valency of impurities added to pure semiconductor in order	01
	to convert into n-type semiconductor.	
1.6	Mention the physical quantity which represents the extent of	01
	polarization in the dielectric material.	1.00
*1.7	Write the relation between widdles 1.1	01
	Write the relation between rigidity modulus, Young's modulus and Poission's ratio.	
1.8	What is the range of Poisson's ratio?	01
1.9	What is simple harmonic motion?	01
1.10	Write the condition for	01
1.11	Write the condition for resonance in series LCR circuit.	01
1.11	The second of principle cities and the second in Hand looks which	
	gives out power of 1mW. Wavelength emitted from He-Ne laser = 632.9nm.	
1.12	1ase1 = 032.9nm.	02
	Find the de-Broglie wave length of neutron at 300K.	02
1.13	Write any two assumptions of quantum free electron theory.	02
1.14	what are torsional oscillations? Write expression for period of	
1.15	torsional oscillation?	02
1.15	Write the characteristics of simple harmonic motion.	02

PART-B

2	a	Derive an expression for energy density of radiation in terms of	pes of optical fiber with reference to refractive and cladding. The core $R.I.$ is 1.48. and relative is operating at $0.85\mu m$. The core $R.I.$ is 1.48. and the same optical fibre parameters if fingth of $0.80\mu m$. The core $R.I.$ is 1.48. and relative is operating at $0.85\mu m$. The core $R.I.$ is 1.48. and the same optical fibre parameters if fingth of $0.80\mu m$. The core $R.I.$ is 1.48. and is optical fibre parameters if fingth of $0.80\mu m$. The core $R.I.$ is 1.48. The core is optical fibre parameters if fingth of $0.80\mu m$. The core $R.I.$ is 1.48. The c
	b	I III CONTEXT OF TASET.	00
	D	List and explain types of optical fiber with reference to refractive	
	c	index profile of core and cladding. A multimode step index fibre with core dismeter as	06
		1.1. difference of 1.5% is operating at 0.85 m. The core D. I in 140	
,		Estimate the core diameter for the same optical fibre parameters if if	
		operates at a wavelength of 0.80 \mum.	
3			
3	а	Apply Schrodinger wave equation for a particle in one dimensional potential box of infinite height and hence solve for eigen values and eigen functions of the particle.	
	b	Justify - radiation from any source (or system) connect have	07
		monocinomanc.	100
	С	A free electron bounces elastically back and forth in one dimension between two walls separated by $L = 0.5nm$ and infinite wall height. Assuming that electron behaves as de-Broglie waves,	04
		i) Show that permitted de-Broglie wavelengths are $\lambda = \frac{2L}{N}$, $n = 1,2,3$	
		ii) Calculate the values of kinetic energy of e^- for $n = 1, 2$ and 3.	05
4	a	State and explain de-Broglie hypothesis of	
		interpretation of $\int_{-\infty}^{+\infty} \varphi^2 dx = 1$	
	b	Setup one dimensional time independent Schrodingova	07
		equation. Extend it to three dimension	06
	С	Assume an electron beam in television tube is accelerated through a	
		P.D. 01 25kV. Find:	1815.
		ii) Kinetic energy	
		iii) Velocity of the electron.	00
	- (*)		03
5	a	What is Fermi factor? Explain with the graph the variation of Fermi	
	h	factor with energy for $T = 0$ K and $T > 0$ K	06
	b c	What is Hall effect? Derive an expression for Hall coefficient.	06
£*		Calculate the dielectric constant of solid with cubic symmetry is $7 \times 10^{-40} Fm^2$.	
		3×10^{28} atoms/m ³ .	
V	. 5/2-51		04
6	a	Derive an expression for electron concentration in conduction band in	
	***	valance bond.	07
1	b	What is dielectric polarization? Explain any two different dielectric	07
	c	polarization mechanisms.	05
		A STATE OF THE VIEW OF THE CIT OF THE PROPERTY	

			$\overline{}$
7	a	Write the labeled stress vs strain graph for a ductile (or elastic)	
		material. Why the load required to break is less than the maximum	
		load?	05
	b	Show that shearing strain is equal to sum of equal linear strain and	
		lateral strains.	06
	C	An unstretched block of gelatin has dimensions $6cm \times 6cm \times 2cm$ as	
		shown in the fig 7c. If force of 0.3N is applied tangentially to the upper	
		surface as shown in the figure, causes displacement of 5mm relative	1.00
7~	are the control of th	to the lower surface, calculate the shearing strain, shearing stress	
		and rigidity modulus of the sample.	
		F 6cm 5mm	10-16
	"		
		2cm	
			atantotage apade
1		THITTITT	
	•	Fig 7c	05
8	a	Write the differential equation for a damped simple harmonic motion.	
		Discuss the solution for the case of under damped system,	07
	b	Explain resonance with reference to LCR circuit.	05
	C	The length of weight less spring increases by 2cm when weight of	
		1.0kg is suspended from it. The weight is pulled down by 10cm and	
	With the state of	released. Determine:	
		i) Period of oscillation of the spring.	NOW THE STATE OF
		ii) Maximum K.E. of oscillation of the spring.	04

$$\lambda = \frac{L}{\sqrt{2mev}} = 7.7 \times 16^{12m}$$

$$E = \frac{L^2}{2m\lambda}$$